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# **Parameter Values for Satellite Links**

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- ❑ Effect of XRM, XDF in long delay paths
  - ❑ Simulation Results
  - ❑ Analytical explanation
  - ❑ Problem: Low throughput even when no congestion
  - ❑ Proposed solution

# Effect of Xrm

- ❑ XRM limits the number of cells lost if the link is broken
- ❑ Source Rule (6):  
If you not received feedback from the network after  $X_{rm} \times N_{rm}$  cells, reduce your ACR:

$$ACR = \max \{ MCR, ACR - ACR \times XDF \}$$

# Effect of XDF

- After  $X_{rm} \times N_{rm}$  cells:

$$ACR = ACR(1 - XDF)$$

- After  $X_{rm}(1 + N_{rm})$  cells:

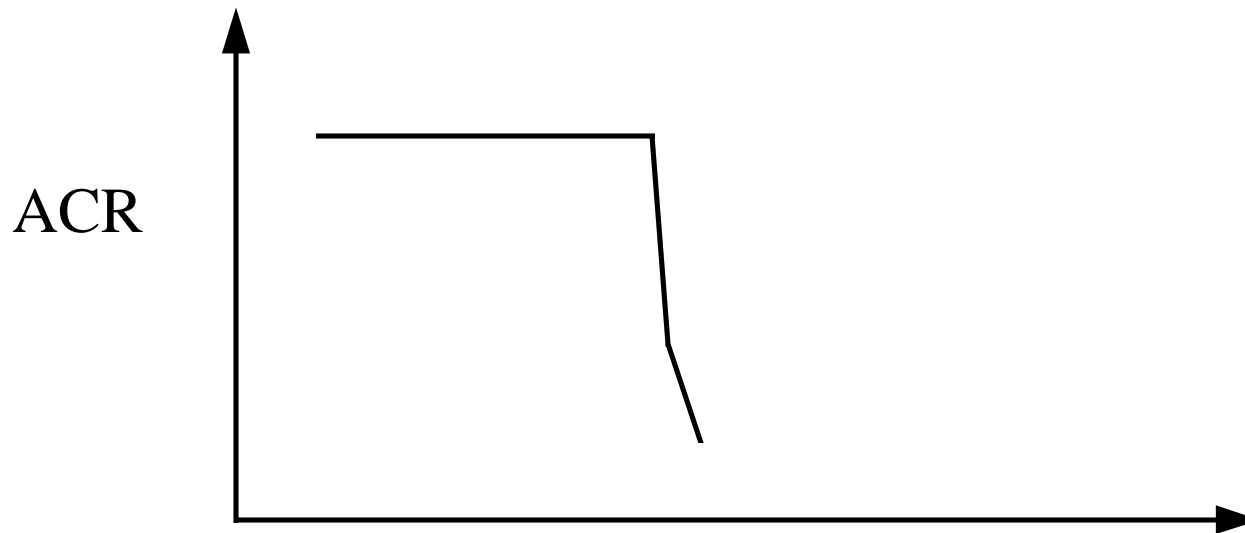
$$ACR = ACR(1 - XDF)^2$$

- After  $X_{rm}(k + N_{rm})$  cells:

$$ACR = ACR(1 - XDF)^k$$

# Effect of XDF

- ❑ There is an almost vertical drop after XRM:



- ❑ The value of XDF has very little effect
- ❑ The source becomes a “**Low Rate Source**”

# Design Principles

- ❑ *Abnormal operations should not be handled at extreme cost to normal operation*

⇒ While we don't want to lose too many cells if the link breaks, we do not want to get 50% throughput if the link is operating.

- ❑ *If the network is operating optimally, the control scheme should not move it to suboptimal* ⇒ If VCs is at the optimal rate, leave it alone or minimize oscillations.

# Simulation Parameters

- ❑ Source: Parameters selected to maximize ACR
  - $N_{rm} = 32$
  - $ICR = \text{Optimal} = 0.9 \times PCR / \text{Number of VCs}$
  - $AIR = PCR / N_{rm} \Rightarrow$  ACR is not limited by AIR
  - $RDF = 256$  cells
  - $X_{rm} = 32, 256, \dots$        $XDF = 1/16$
  - $TDF = 0 \Rightarrow$  ACR does not go down due to TOF
- ❑ Traffic: Bidirectional, Infinite sources
- ❑ Switch:
  - Target Utilization = 90%
  - Averaging interval =  $\min\{30 \text{ cells}, 200 \mu\text{s}\}$

# Single-Source Configuration



- ❑ All links 155 Mbps,  $ICR = 0.9 \times PCR$
- ❑ Goal: If the scheme has problem with single-source, it will have problems with more complex configurations



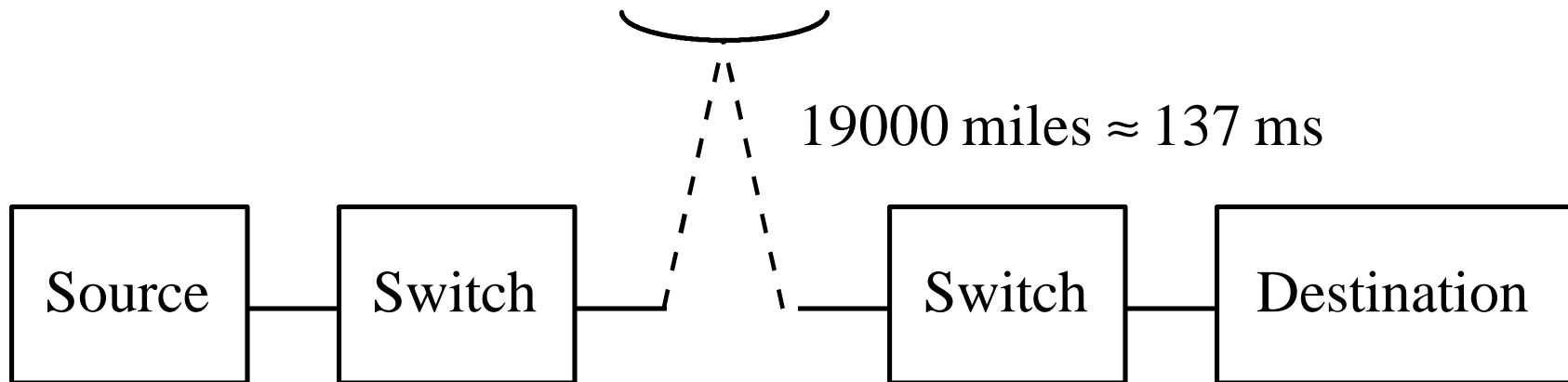
# Simulation Results

- ❑ The queue lengths are small (no bottleneck)
- ❑ The rates oscillate between very low and very high even though the network feedback is consistently at  $ACR = 139$  Mbps.
- ❑ Average throughput:
  - 0 for  $t=(0,275\text{ms})$ ,
  - 32 Mbps for  $t=(275\text{ms}, 825\text{ms})$ ,
  - 45 Mbps for  $t=(825\text{ms}, 1200\text{ms})$

# Simulation Results (Cont)

- ❑ The results do not change much with XDF
- ❑ Percent throughput even lower for higher speed (622 Mbps) links

# Satellite Links



- ❑ One-way delay = Up-down = 275 ms
- ❑ Round-trip delay = 550 ms
- ❑  $X_{rm} = 32$   
 $\Rightarrow$  Maximum  $32 \times 32 = 1024$  cells in flight before ACR starts coming down

- ❑  $X_{rm} = 256$  (maximum allowed)  
 $\Rightarrow$  8 times more cells in flight
- ❑ Increasing  $N_{rm}$  is not recommended as it reduces sensitivity at lower rates  
Response time =  $\max \{ \text{feedback delay,}$   
 $\text{Inter-RM cell time} \}$

# Required Xrm

- For full throughput

$$X_{rm} \geq RTTQ / (N_{rm} \times ACR)$$

Where RTTQ = Round Trip Time

including Queueing

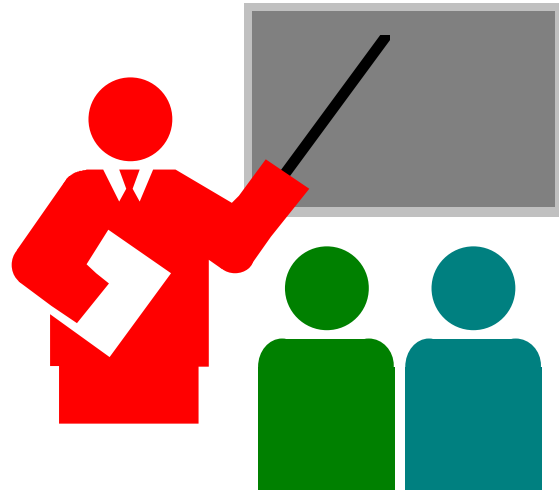
- For 155 Mbps,  $X_{rm} \geq 6,144$
- For 622 Mbps,  $X_{rm} \geq 24,576$
- For two satellite hops:  $X_{rm} \geq 49,152$
- For  $n$  satellite hops:  $X_{rm} \geq 24,576n$   
 $\Rightarrow$  **Need 32 bits for Xrm**

# Two-Source Configuration



- ❑ All links 155 Mbps
- ❑  $ICR = 0.9 \times PCR/2$
- ❑ Goal: To verify optimal  $X_{rm}$  formula

# Summary



- ❑ In section 5.10.3.1 Parameter definitions and usage, replace  
“XRM is a 8 bit integer”  
with  
“XRM is a 32-bit integer”